

# Algebra I BE TUESDAY 1-6-09

Simplify:

$$\textcircled{1} \quad \frac{237}{3}$$

$$\textcircled{2} \quad \frac{576}{9}$$

\* From 2008/2009 ACT Practice Test:

\*  $\textcircled{3}$  Find the slope of the line through  $(-5, 2), (6, 7)$

\*  $\textcircled{4}$  Solve:  $3(x+2) > 4(x-3)$

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- FRESH START
  - supplies/on time
  - prompt redos
  - NEAT, labeled, properly shown work
  - \* #12 AND #36
  - NOTE FOR MATH HELP

# Divisibility Rule for 3 and 9

You ALREADY know the  
divisibility rule for 2, 5, AND 10...

|           |    |
|-----------|----|
| $\div$ by | if |
|-----------|----|

2 last digit is even which  
means it ends in 0, 2, 4, 6, 8

5 last digit is 0 or 5

10 last digit is 0

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3 sum (add) of all the digits  
is  $\div$  by 3

(Ex)  $237 \Rightarrow$  sum is 12 which is  $\div$  by 3  
           $\begin{array}{c} 2 \\ 3 \\ 7 \\ \hline 12 \end{array}$  so 237 is  $\div$  by 3

9 sum of all the digits is  $\div$  by 9

(Ex)  $576 \Rightarrow$  sum is 18 which is  $\div$  by 9  
           $\begin{array}{c} 5 \\ 7 \\ 6 \\ \hline 18 \end{array}$  so 576 is  $\div$  by 9

RECALL  $\Rightarrow$  Ch. 8-1 & 8-2

$\Rightarrow$  multiplying & dividing monomials

$\Rightarrow$  tool: the 6  
EXPONENT RULES

- A number,
- A variable,
- the product of  
A number AND  
ONE OR MORE  
variables

① MR  $a^N \cdot a^m = a^{N+m}$

② DR  $\frac{a^N}{a^m} = a^{N-m}$

③  $\hookrightarrow \frac{a^m}{a^m} = 1 = a^{m-m} = a^0 \therefore a^0 = 1$  ZER

④  $\hookrightarrow a^{-N} = \frac{1}{a^N}$  or  $\frac{1}{a^{-N}} = a^N$  NER

⑤ PPR  $(a^N)^m = a^{N \cdot m}$

⑥ GPR  $(ab)^N = a^N b^N$  or  $\left(\frac{a}{b}\right)^N = \frac{a^N}{b^N}$

⑦ EX  $\left(\frac{6k^3}{7np^4}\right)^2 = \frac{36k^6}{49n^2p^8}$

⑧ EX  $5^{-2} = \frac{1}{25}$

RECALL  $\Rightarrow$  Ch. 8-3, Polynomials

$\downarrow$   
ONE or more monomials  
being added or  
subtracted

Degree of  $\Rightarrow$  SUM OF THE EXPONENTS  
A Monomial OF ITS VARIABLES

Degree of  $\Rightarrow$  the degree of the  
Polynomial highest degree monomial  
in the polynomial

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Polynomials are normally ordered in  
descending order by degree:

Ⓔ  $5x^3 - 2x^2 + x - 3$

$\uparrow \quad \uparrow \quad \uparrow \quad \uparrow$   
degree 3 degree 2 degree 1 degree 0

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LINEAR EQUATIONS ( $y = mx + b$ ) are 1<sup>st</sup> degree polynomials

$\uparrow \quad \uparrow$   
CONSTANT COEFFICIENT

You already know How TO Add  
And subtract polynomials  $\Rightarrow$   
Combine like terms

- same variable
- variables have same exponent

$$x^3 + x^3 = 2x^3$$

$$x^3 + x^2 = x^3 + x^2$$

A +1 in front of a polynomial in parentheses is a "get out of parentheses jail free" card. A -1 must be distributed.

(EX)  $(2x^3 + 3x + 1) - (x^3 - 2x - 4)$

$+1(2x^3 + 3x + 1) - 1(x^3 - 2x - 4)$

$$\underline{2x^3} + 3x + 1 \quad \underline{-x^3} + 2x + 4$$

$$\boxed{x^3 + 5x + 5}$$

Your turn:

$$(3ax^2 - 5x - 3a) - (6a - 8a^2x + 4x)$$

$$\underline{\underline{3ax^2}} - \underline{5x} - 3a - 6a + \underline{8a^2x} - \underline{4x}$$

$$\boxed{3ax^2 + 8a^2x - 9x - 9a}$$

✓ Ch-8-5 Adding and Subtracting Polynomials

Ch 8-6 Multiplying A Polynomial by a Monomial

Ⓔ  $-2x^2(3x^2 - 7x + 10)$  USE DP ARROWS  
AND MR FOR  
EXPONENTS

$$-2x^2(3x^2 - 7x + 10)$$

$$\boxed{-6x^4 + 14x^3 - 20x^2}$$

Simplify  
(Ex)

6

$$4(3d^2 + 5d) - d(d^2 - 7d + 12)$$

$$4(3d^2 + 5d) - d(d^2 - 7d + 12)$$

$$\underline{12d^2} + \underline{20d} - d^3 + \underline{7d^2} - \underline{12d}$$

$$19d^2 + 8d - d^3$$

$$\boxed{-d^3 + 19d^2 + 8d}$$

descending order  
by degree

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- Pg 441 # 12-22 evens  
# 30
  - Pg 446-448 # 15, # 22, # 26, # 34  
# 38, # 62