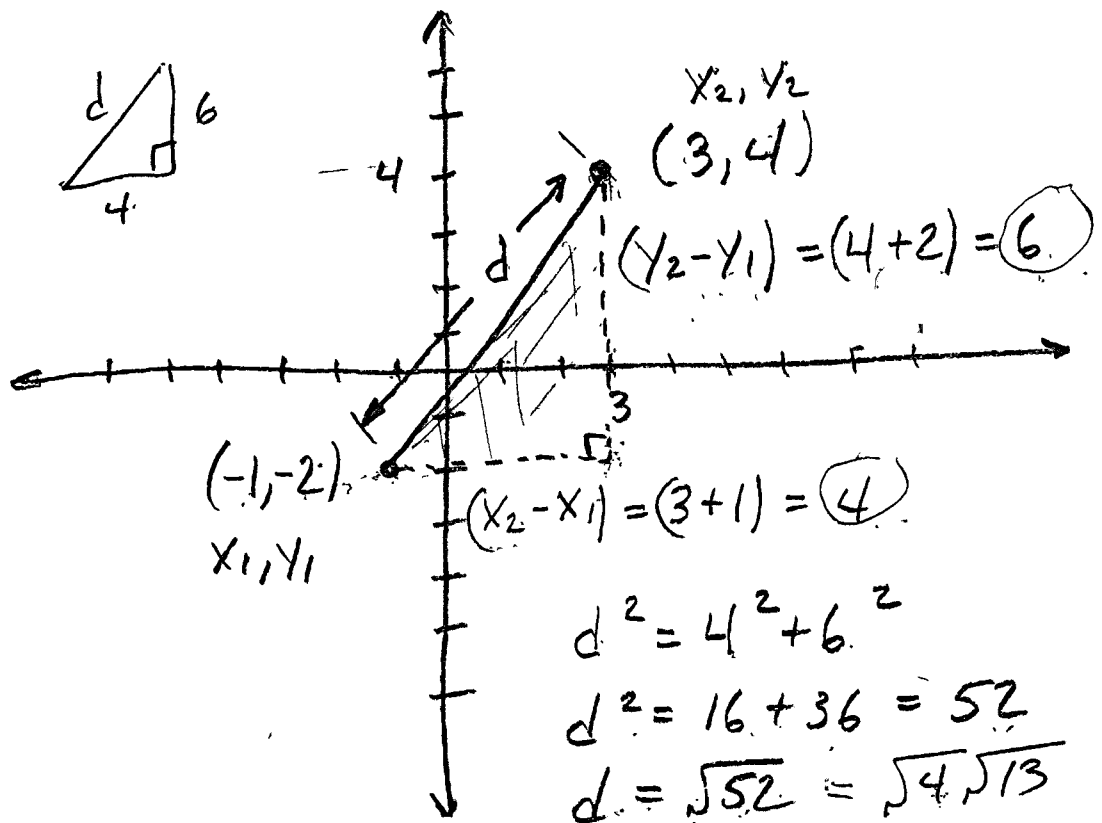


Geometry MONDAY 2-4-13 CLASS NOTES

Ch. 12-7 Circles in the Coordinate Plane

XY PLANE

RECALL the "distance formula" which is a direct result of the Pythagorean Theorem



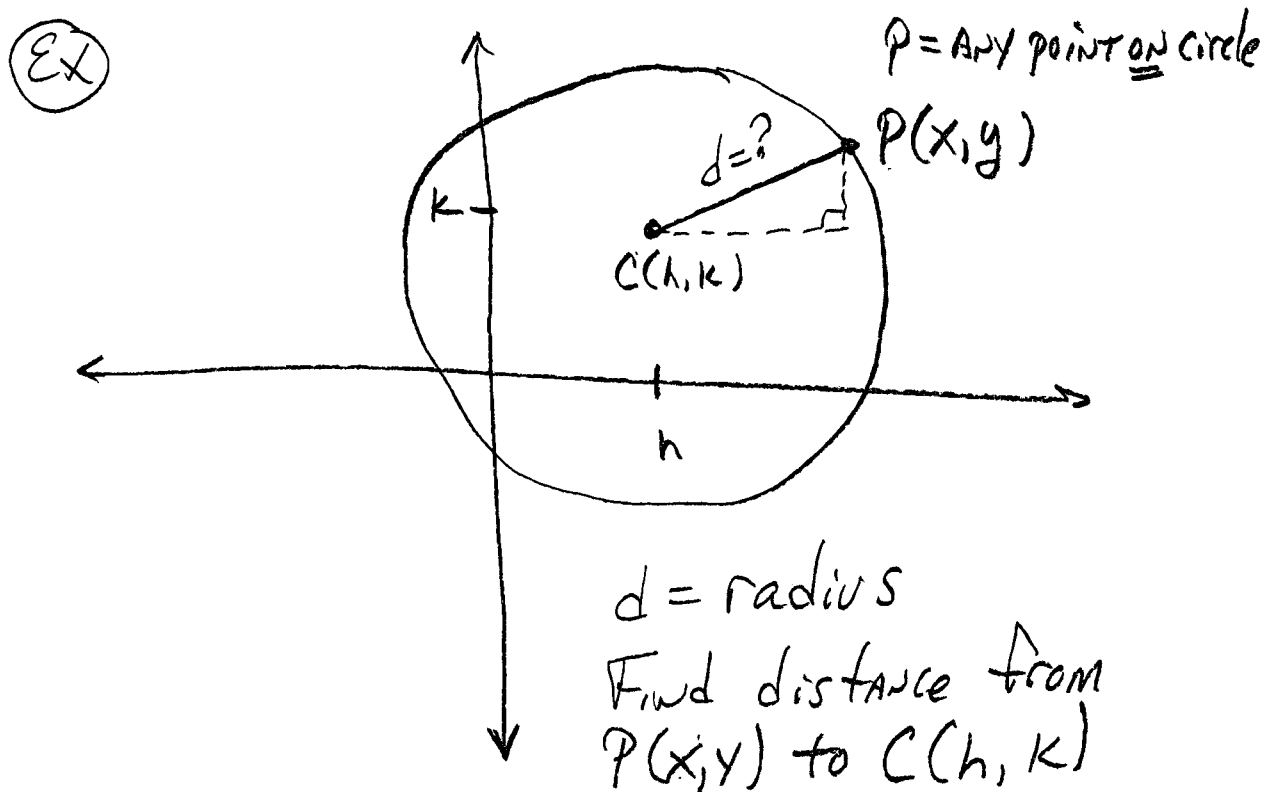
$d = 2\sqrt{13}$ units

DF $\Rightarrow d = \sqrt{(X_2 - X_1)^2 + (Y_2 - Y_1)^2}$

Let $C(h, k)$ be the KNOWN coordinates of the point C which is the Center of a circle.

NOTE: $C(0, 0)$ is a circle centered at the origin so $C(h, k)$ represents a horizontal & vertical shift of the center

$C(h, k)$ represents
 ↑ ↙
 HORIZONTAL SHIFT VERTICAL SHIFT



(EX) (A) Write Equation
 Pg 847 ⓐ A, Center A(4, -2), radius = 3

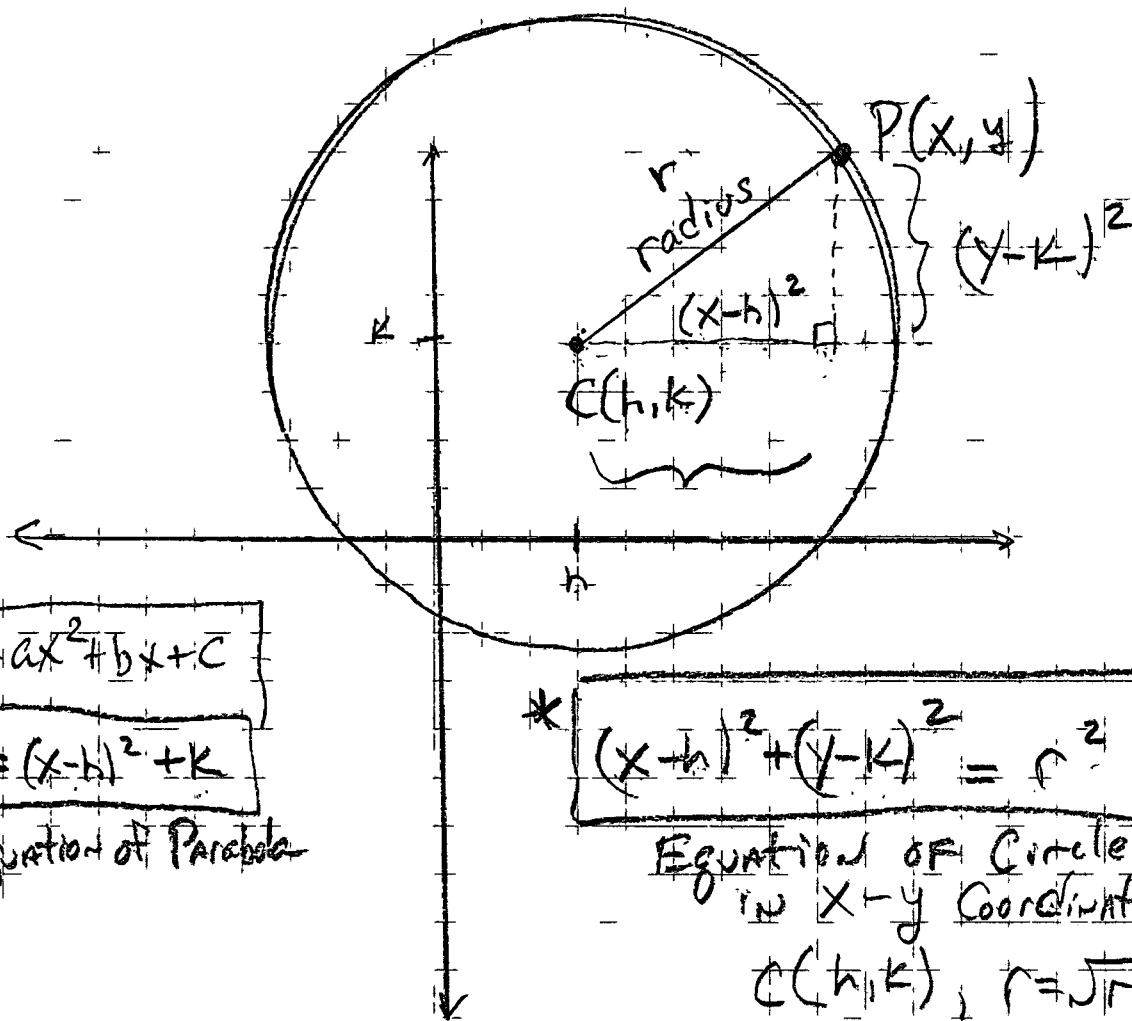
(B) ⓐ B, passes through (-2, 6) with center B(-6, 3)

(EX) (A) graph $x^2 + y^2 = 25$.
 Pg 848

(B) graph $(x+1)^2 + (y-2)^2 = 9$

(2a) graph $x^2 + y^2 = 9$

(2b) $(x-3)^2 + (y+2)^2 = 4$



STD Form $y = ax^2 + bx + c$

Vertex Form $y = (x-h)^2 + k$

Equation of Parabola

* $(x-h)^2 + (y-k)^2 = r^2$

Equation of Circle in X-y Coordinate Plane

$C(h, k), r = \sqrt{r^2}$

$\left(\frac{1}{2}\right)^2 = \left(\frac{3}{2}\right)^2 = \frac{169}{4}$

(ex) $x^2 + y^2 = r^2 \quad C(0, 0)$

(ex) $(x-3)^2 + (y-4)^2 = (6.5)^2 = \frac{169}{4}$

$(x-3)^2 + (y-4)^2 = \frac{169}{4}$

$C(3, 4) \quad r = \sqrt{\frac{169}{4}}$

eg of Circle above

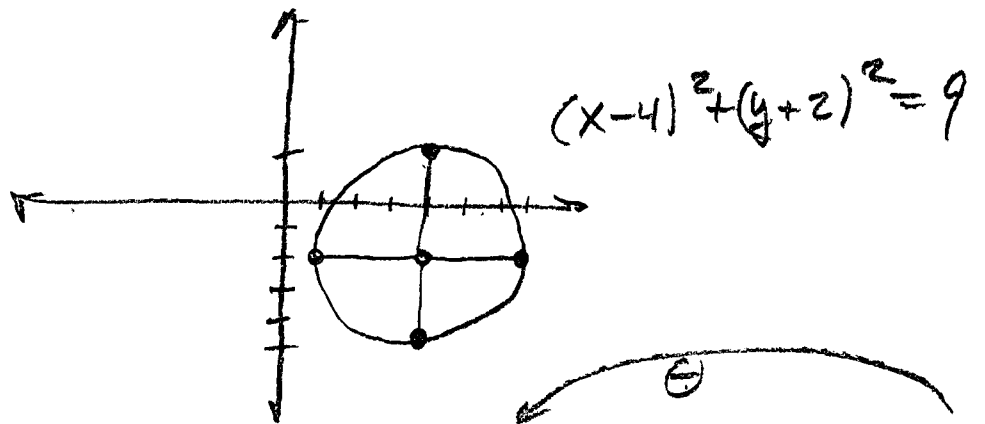
Write EOC

EX A
pg 847

⊙A, C(4, -2), radius = 3

$$(x-h)^2 + (y-k)^2 = r^2$$

$$(x-4)^2 + (y+2)^2 = 9$$



⊙B through (-2, 6), Center (-6, 3)

$$r^2 = (3-6)^2 + (-6+2)^2$$

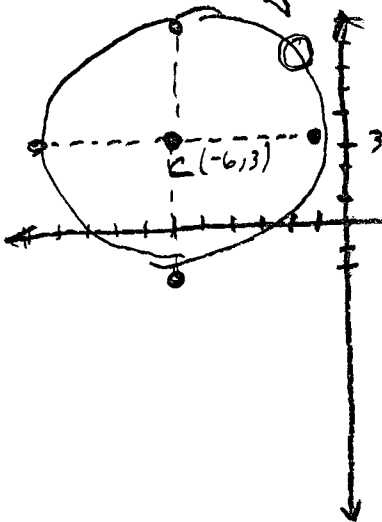
$$r^2 = (-3)^2 + (-4)^2$$

$$r^2 = 9 + 16 = 25$$

$$(x-h)^2 + (y-k)^2 = r^2$$

$$(x+6)^2 + (y-3)^2 = 25$$

C(-6, 3), r = 5

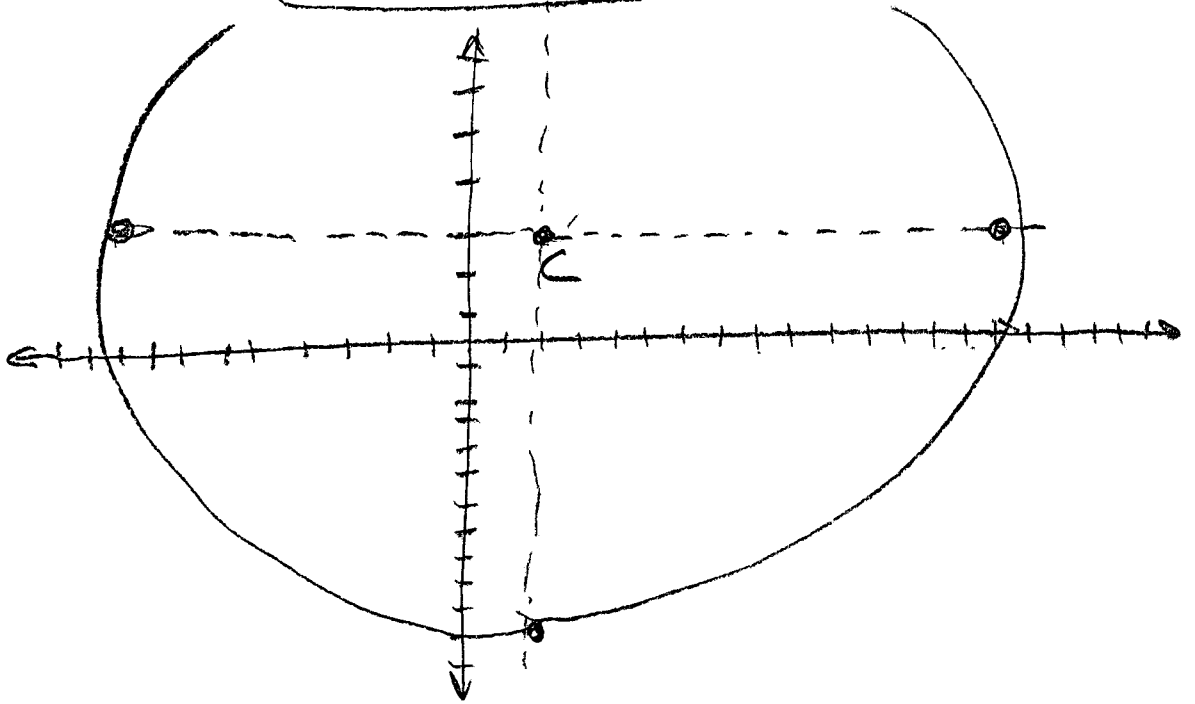


$$h, k \dots$$

(EX) $C(2, 3), r = 15$

$$(x-h)^2 + (y-k)^2 = r^2$$

$$* \boxed{(x-2)^2 + (y-3)^2 = 225}$$



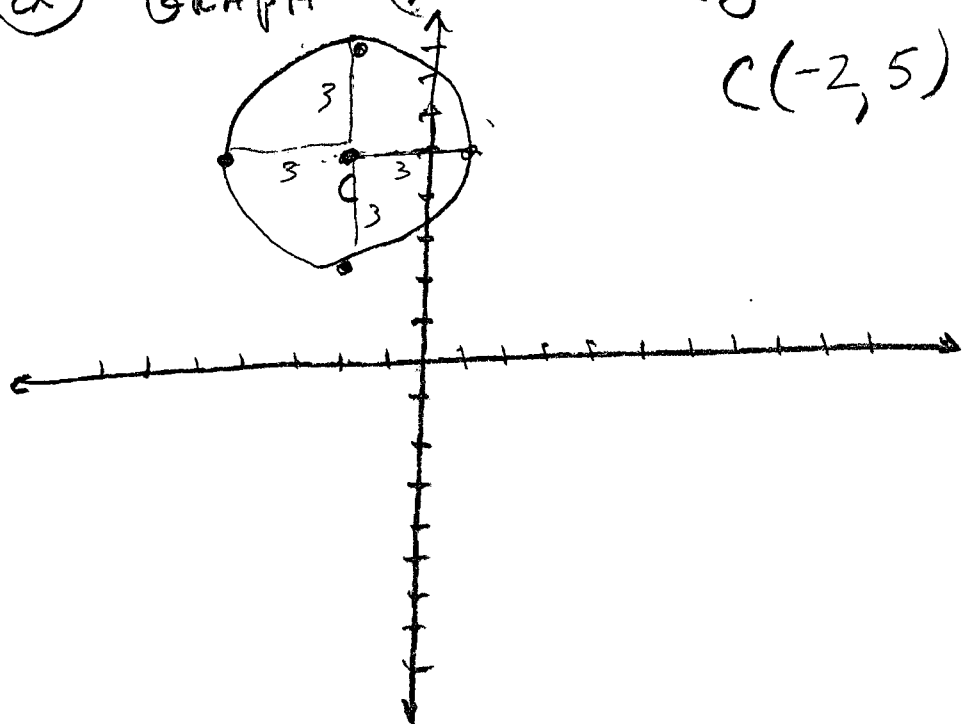
(EX) $C(-5, 8) \quad r = \sqrt{12}$

$$(x+5)^2 + (y-8)^2 = 12$$

(EX) $(x+6)^2 + (y+9)^2 = 25$

$$\boxed{C(-6, -9), r = 5}$$

(Ex) GRAPH $(x+2)^2 + (y-5)^2 = 9$
 $C(-2, 5) \quad r=3$



(Ex) GRAPH $(x+3)^2 + y^2 = 16$
 $C(-3, 0) \quad r=4$

